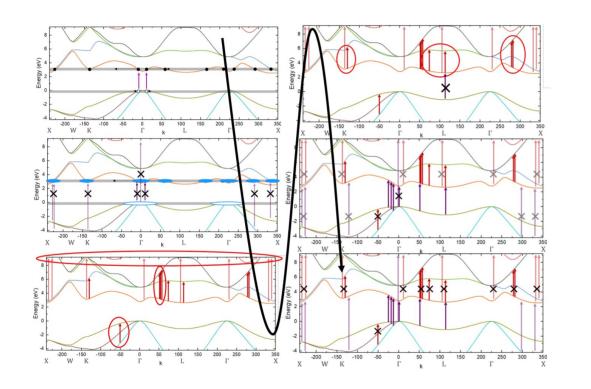
A Graph-Based Model Building Approach for Time-Resolved Ellipsometry

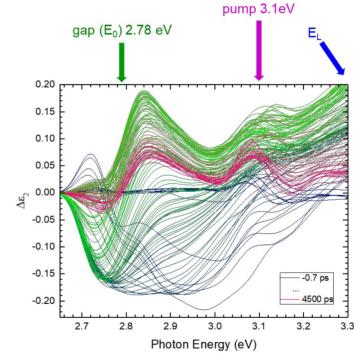
N. Stiehm^{1,*}, R. Schmidt-Grund¹, S. Krischok¹

¹ Technische Universität Ilmenau, Fachgebiet Technische Physik I, Weimarer Straße 32, 98693 Ilmenau, Germany



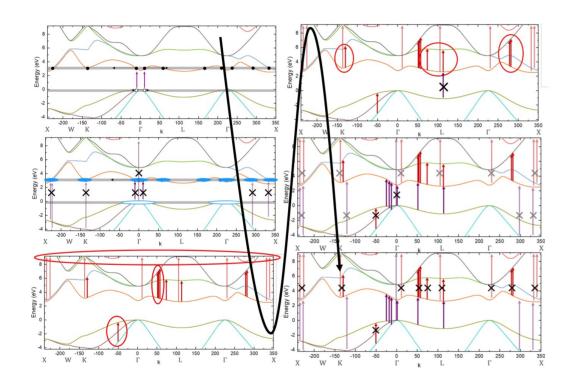




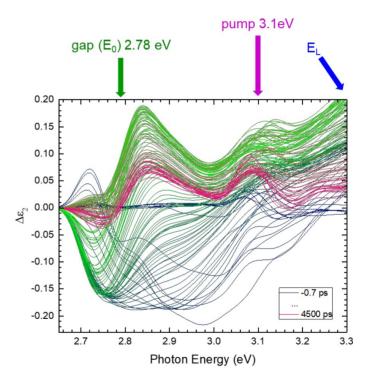




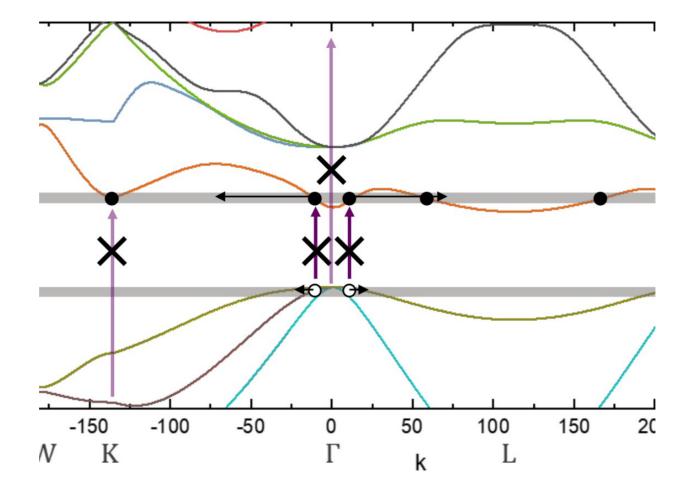
mental model



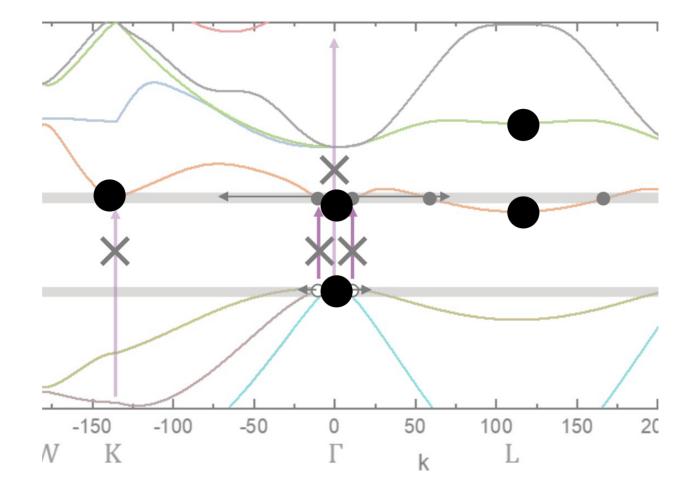
"steady state" model(s)



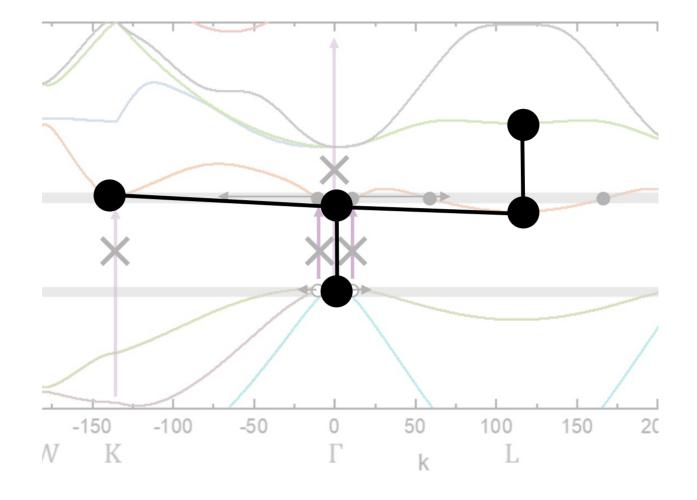




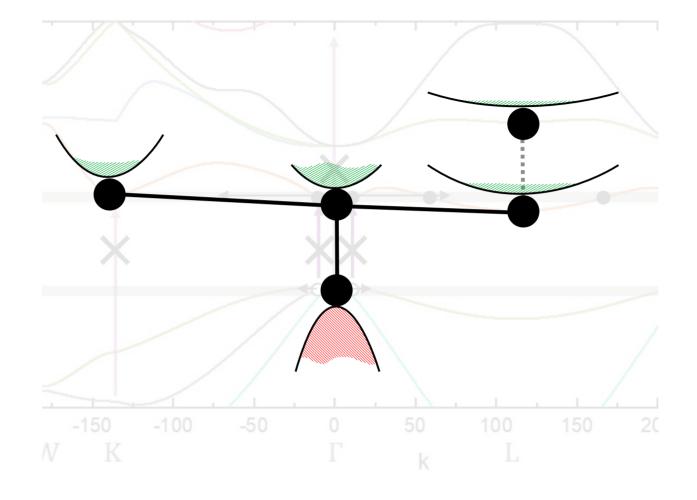




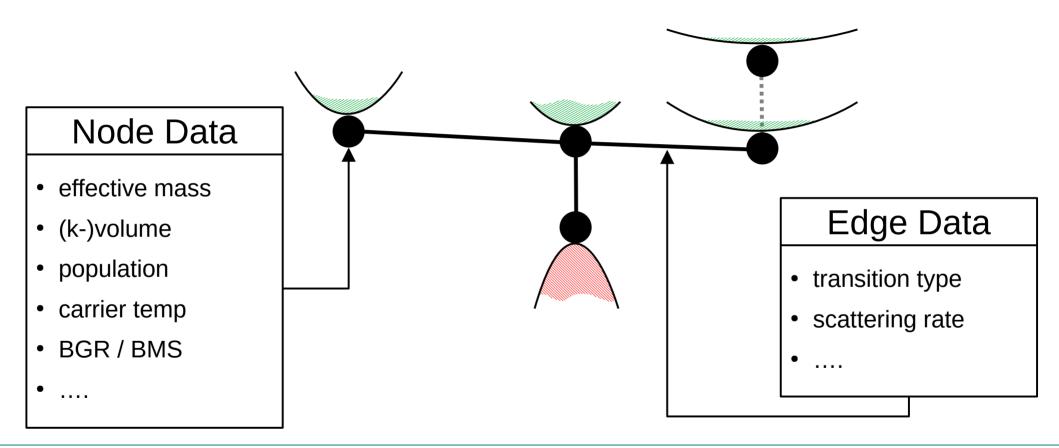












$$\dot{n}_{\scriptscriptstyle m} = \sum_{\scriptscriptstyle i \rightarrow m} g(\Delta E_{\scriptscriptstyle i \rightarrow m}, t) \cdot \gamma_{\scriptscriptstyle i \rightarrow m} \cdot n_{\scriptscriptstyle i}(N_{\scriptscriptstyle m} - n_{\scriptscriptstyle m}) - \sum_{\scriptscriptstyle m \rightarrow f} g(\Delta E_{\scriptscriptstyle m \rightarrow f}, t) \cdot \gamma_{\scriptscriptstyle m \rightarrow f} \cdot n_{\scriptscriptstyle m}(N_{\scriptscriptstyle f} - n_{\scriptscriptstyle f})$$

$$\dot{n}_{m} = \sum_{i \to m} g(\Delta E_{i \to m}, t) \cdot \gamma_{i \to m} \cdot n_{i}(N_{m} - n_{m}) - \sum_{m \to f} g(\Delta E_{m \to f}, t) \cdot \gamma_{m \to f} \cdot n_{m}(N_{f} - n_{f})$$

$$\varepsilon(\omega) = \sum_{k} M_{k}(\omega; n_{i}, n_{f} [, \vec{p}(t)])$$

$$\dot{n}_{\scriptscriptstyle m} = \sum_{\scriptscriptstyle i \rightarrow \scriptscriptstyle m} g(\Delta E_{\scriptscriptstyle i \rightarrow \scriptscriptstyle m}, t) \cdot \gamma_{\scriptscriptstyle i \rightarrow \scriptscriptstyle m} \cdot n_{\scriptscriptstyle i}(N_{\scriptscriptstyle m} - n_{\scriptscriptstyle m}) - \sum_{\scriptscriptstyle m \rightarrow \scriptscriptstyle f} g(\Delta E_{\scriptscriptstyle m \rightarrow \scriptscriptstyle f}, t) \cdot \gamma_{\scriptscriptstyle m \rightarrow \scriptscriptstyle f} \cdot n_{\scriptscriptstyle m}(N_{\scriptscriptstyle f} - n_{\scriptscriptstyle f})$$

$$\varepsilon(\omega) = \sum_{k} M_{k}(\omega; n_{i}, n_{f} [, \vec{p}(t)])$$

$$\dot{\varepsilon}(\omega) = \sum_{k} \frac{\partial M_{k}(\omega)}{\partial n_{i}} \dot{n}_{i} + \frac{\partial M_{k}(\omega)}{\partial n_{f}} \dot{n}_{f} \left[+ \frac{\partial M_{k}(\omega)}{\partial \vec{p}} \dot{\vec{p}} \right]$$



Compatibility / Extensibility of the Model

$$\dot{n} = \dots$$
 $\dot{\varepsilon} = \dots$
 $\dot{T} = \dots$
 $\dot{\Delta} = \dots$
 \vdots

- Extending the model to include more effects (approximately) is in principle straightforward
- Having the ODE system enables access to a large ecosystem of ODE analysis and parameter estimation tools (nonlinear optimization, particle swarm, Bayesian, neural nets, etc...)
- Including spatial diffusion is also possible at higher computational costs (solving one instance of the model for every mesh element in a finite elements / finite differences simulation

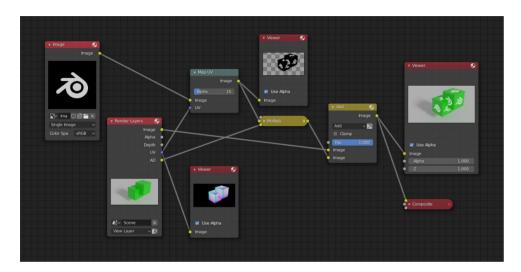
"Node Based" User Interface Design Philosophy

Do not forget to show the video here

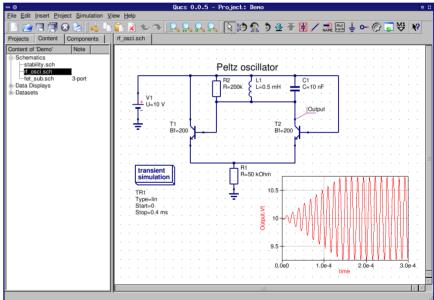




"Node Based" User Interface Design Philosophy



docs.blender.org



qucs.sourceforge.net



A system of ODEs is a flexible description of TRSE measurements



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- Such a system can be derived from a graph structure in a straightforward manner



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...we look forward to all kinds of feedback!



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Thank you for your attention!

